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NAME

DATE

PERIOD

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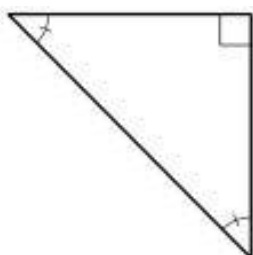
## Assessment

### Constructions and Rigid Transformations: End-of-Unit Assessment

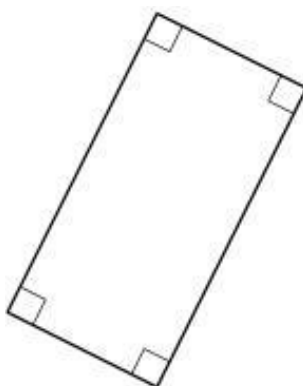
You may use construction tools, a protractor, and your reference chart.

1. Select **all** the figures with 180-degree rotation symmetry.

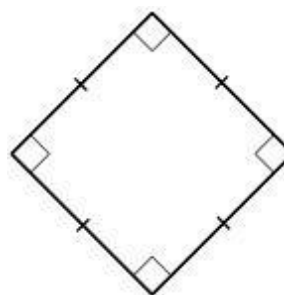
A



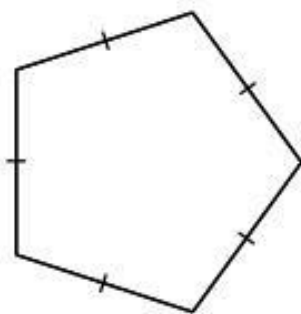
B



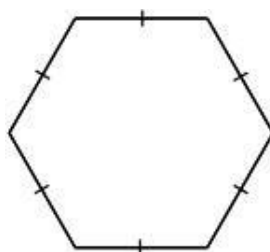
C



D



E

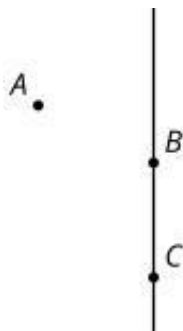


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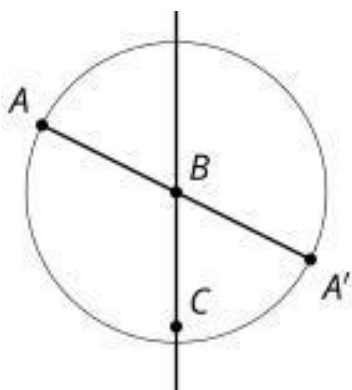
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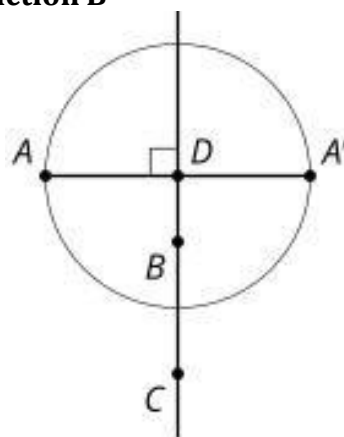
2. Select the construction that guarantees  $A'$  is a reflection of point  $A$  across line  $BC$ .



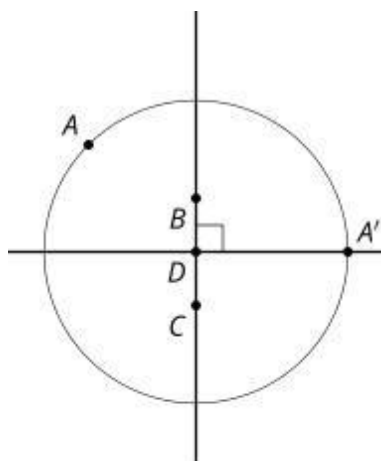
**Construction A**



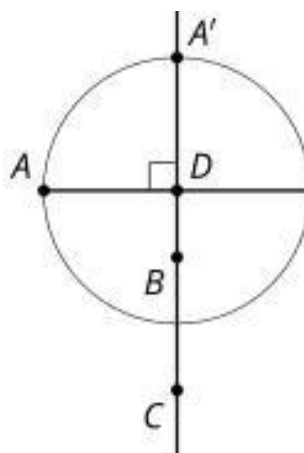
**Construction B**



**5. Construction C**



**Construction D**



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A. Construction A

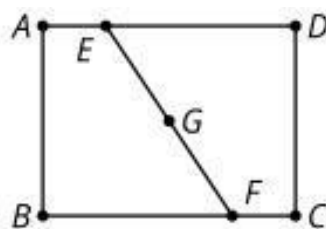
B. Construction B

C. Construction C

D. Construction D

3.  $ABCD$  is a rectangle. Trapezoid  $AEFB$  is congruent to trapezoid  $CFED$ .  $G$  is the midpoint of segment  $EF$ .

Select **all** the ways we could describe the rigid transformation that takes  $AEFB$  to  $CFED$ .



A. Reflect  $AEFB$  across line  $EF$ .

B. Rotate  $AEFB$  180 degrees counterclockwise around point  $G$ .

C. Rotate  $AEFB$  180 degrees clockwise around point  $G$ .

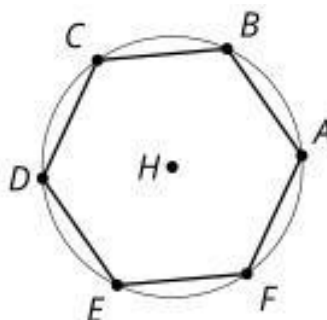
D. Translate  $AEFB$  by the directed line segment from  $F$  to  $E$ , and then reflect across line  $FE$ .

E. Translate  $AEFB$  by the directed line segment from  $F$  to  $E$ , and then rotate 180 degrees clockwise around point  $E$ .

4. Regular hexagon  $ABCDEF$  is inscribed in a circle with center  $H$ .

a. What is the image of segment  $BC$  after a 120-degree clockwise rotation about point  $H$ ?

b. What is the image of segment  $BC$  after a reflection over line  $FC$ ?



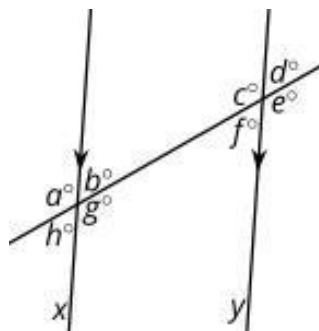
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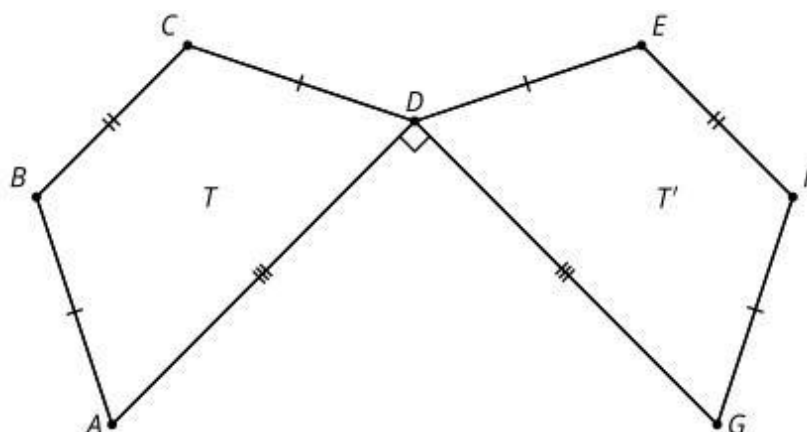
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5. Lines  $x$  and  $y$  are parallel.

Write an equation that represents the relationship between  $b$  and  $e$ . Explain how you know this equation is always true.



6. Describe a sequence of transformations that take isosceles trapezoid  $T$  to its image  $T'$ .



7. Explain why  $a + b = d$ .

