If all the cows and chickens in a pasture have 35 heads and 110 legs, how can you use a system of equations to help you find the number of cows in the pasture?



In this lesson you will learn how a system of linear equations can help you model a real-life situation by analyzing a problem.





system of equations:





A Common Misunderstanding

$$\frac{1}{2}x + 2 - x - 1 = y + y$$

$$\begin{cases} y = \frac{1}{2} x + 2 \\ y = -x - 1 \end{cases}$$





<u>solution (of a system)</u>: a set of values that makes both equations in the system true at the same time.

$$\begin{cases} y = \frac{1}{2}x + 2 \\ y = -x - 1 \end{cases}$$

SOLUTION: (-2, 1)

Check:	Check:
$y = \frac{1}{2}x + 2$	y = -x - 1
$(1) = \frac{1}{2} (-2) + 2$	(1) = -(-2) -1
1 = -1 + 2	1 = 2 - 1
1 = 1	1 = 1
TRUE!	TRUE!



Let's Review

We know that we can sometimes find the solution to a linear system by graphing.





If all the cows and chickens in a pasture have 35 heads and 110 legs, how many cows are in the pasture?





x = the number of cows
y = the number of chickens

"What unknown values will I need to find for this system?"









If all the cows and chickens in a pasture have 35 heads and 110 legs, how many cows are in the pasture?





$$\begin{cases} x + y = 35 \\ 4x + 2y = 110 \end{cases}$$



Three steps...

- 1. Identify the unknowns and define your variables.
- 2. Separate types of information to know what the equations will describe.
- 3. Find the numbers and operations to connect to the unknown values, and write your system of equations.



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